

BILANCIO BC + SISTEMA BANCARIO

$$1) BN = CIRC + RIS(R) \quad \text{IMPIEGO}$$

$$2) BN = TESORO + ESTERO \\ B^d(L^q) \quad RU \quad \text{FONTI}$$

BANCHE DI CREDITO ORDINARIO:

$$3) L^P + R = DEP$$

CONSOLIDATO:

$$4) RU + L^q + L^P + R = BN + DEP$$

$$5) RU + (L^q + L^P) = (BN - R) + DEP$$

$$CIRC = BN - R \quad \text{da (1)}$$

$$L^q + L^P = DC$$

$$5') RU + \underbrace{DC}_{M^S} = CIRC + DEP$$

ESISTONO DIFFERENTI
AGGREGATI MONETARI E CREDITIZI

DOMANDA DI MONETA

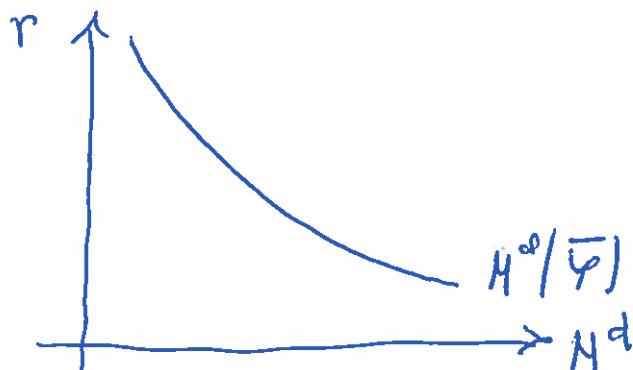
TEORIA QUANTITATIVA

$$M \cdot V = P \cdot Y \quad \text{con} \quad \bar{V} = \text{fattore istituz.} \\ \hat{Y} = \text{tasso inflazio.}$$

$$\therefore M^d = \frac{1}{\bar{V}} P \hat{Y}$$

TEORIA KEYNESIANA

$$M^d = L_1(Y) + L_2(r) \quad L_1' > 0 \quad L_2' < 0$$



In termini reali

CREAZIONE OFFERTA (STOCK) MONETA

$$S') M^s = RU + DC = CIRC + DEF$$

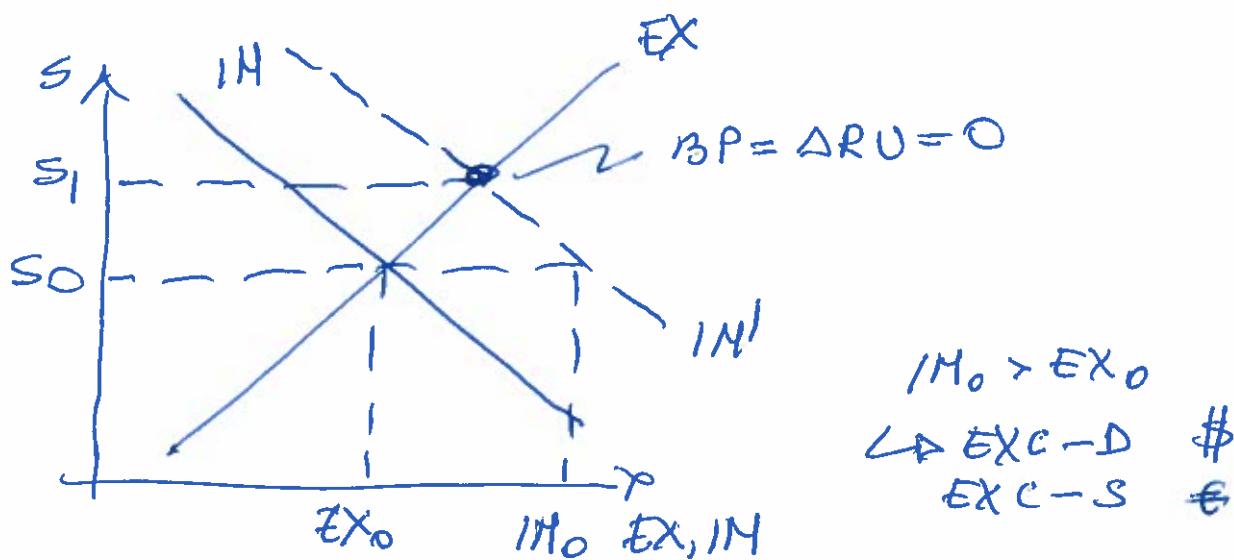
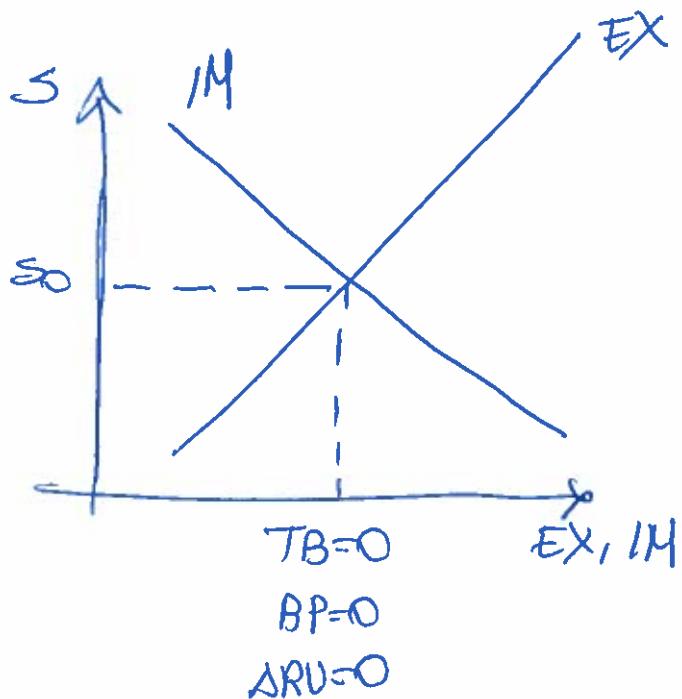
$$\begin{aligned}\Delta M^s &= \Delta RU + \Delta DC \\ &= BP + \Delta DC\end{aligned}$$

In ECONOMIA CHIUSA, PER DEFINIZIONE

$$E) BP = \Delta RU = 0$$

$$\hookrightarrow \Delta M^s = \Delta DC \quad \text{solo!}$$

IN ECONOMIA APERTA QUESTO NON E'
PIU' VERO : STOCK MONETA E'
INFLUENZATO DA TASSO DI CAMBIO



CANBI FLEX : $S_1 > S_0$

CANBI FISSI : INTERVENTO BC : VENDE \$ \rightarrow +RU
COMPRO € \rightarrow -RU

$\therefore IM_0 > EX_0, BP < 0 \rightarrow +RU \rightarrow +BN \rightarrow +N^S$

E SE FINISCONO LE RU ?

OHO - OPERAZIONI SUL MERCATO APERTO (meccanismo di creazione dei depositi)

- IPOTESI : - INMISSIONE DI BN (e.g. BN=100)
 - COEFF. RISERVA OBBL : r

DEPOSITI	RISERVE	PRESTITI
BN	$r(BN)$	$(1-r) BN$
$(1-r) BN$	$r(1-r) BN$	$(1-r)^2 BN$
$(1-r)^2 BN$	$r(1-r)^2 BN$	$(1-r)^3 BN$
etc.

TOTALE DEPOSITI RACCOLTI

$$DEF = BN + (1-r)BN + (1-r)^2BN + \dots$$

sia $A = 1 + (1+r) + (1-r)^2 + (1-r)^3 + \dots$

$$(1-r)A = (1-r) + (1-r)^2 + (1-r)^3 + \dots$$

$$\therefore A - (1-r)A = 1$$

$$A - A + rA = 1$$

$$rA = 1 \implies A = \frac{1}{r}$$

$$DEF = A(BN) = \frac{1}{r} BN$$

TOTALE RISERVE ACCANTONATE

$$R = rBN + r(1+r)BN + r(1-r)BN^2 + \dots$$

$$= [r + r(1-r) + r(1-r)^2 + \dots] BN$$

sia $A = r + r(1-r) + r(1-r^2) + \dots$

$$(1-r)A = r(1-r) + r(1-r^2) + \dots$$

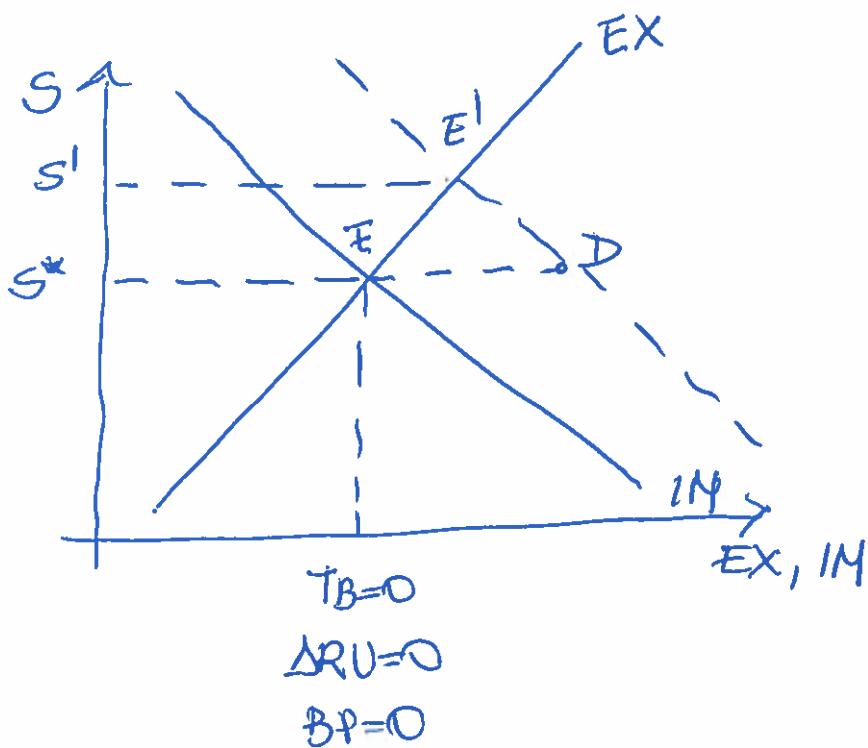
$$\therefore A - (1-r)A = r$$

$$A - A + rA = r$$

$$rA = r \implies A = 1$$

$$R = A(BN) = BN$$

SHOCK REALE - STRUTTURALE



HIPOTESI : SHOCK REALE \rightarrow SPOSTAMENTO
PREFERENZE CONSUMATORI VERSO PRODOTTI
ESTERI (Δ PARITÀ DI PREZZO)

ED : $IN > EX \rightarrow BP < 0, TB < 0 \rightarrow \Delta RU < 0$

CANBI FLEX : $\uparrow S \rightarrow S'$; E' : $EX = IN$
 $TB = 0$
 $\Delta RU = 0$

CANBI FISSI : ED \rightarrow EXC-D $\$$ PER DIFENDERE
EXC-S $\€$ LA PARITÀ

BC DEVE VENDERE $\$$ $\rightarrow \uparrow RU$; $\downarrow NS$
COMPRARE $\€$ $\downarrow BM$

MA SI RESTA CON $TB < 0$!

STERILIZZAZIONE

	A	P	
RU	100	350	CIR
Bd	300	50	R
	<hr/> 400	<hr/> 400	

I) OMO ESPANSIVA : $OMO^+ = 50$

	A	P	
RU	100	400	CIR
Bd	350	50	R
	<hr/> 450	<hr/> 450	

$\frac{1}{2}BN \rightarrow \frac{1}{2}Bd \rightarrow \frac{1}{2}i \rightarrow \frac{1}{2}titoli\ not, \frac{1}{2}titoli\ est.$

$\hookrightarrow B \times C \rightarrow \$$ \rightarrow IN CAMBI FISSI :
 EXC - S € BC RENDE \\$ } \downarrow RU
 COMPRO € }

	A	P	
RU	50	350	CIRE
Bd	350	50	R
	<hr/> 400	<hr/> 400	

II) SHOCK : Φ/M (pref. prodotti esteri)

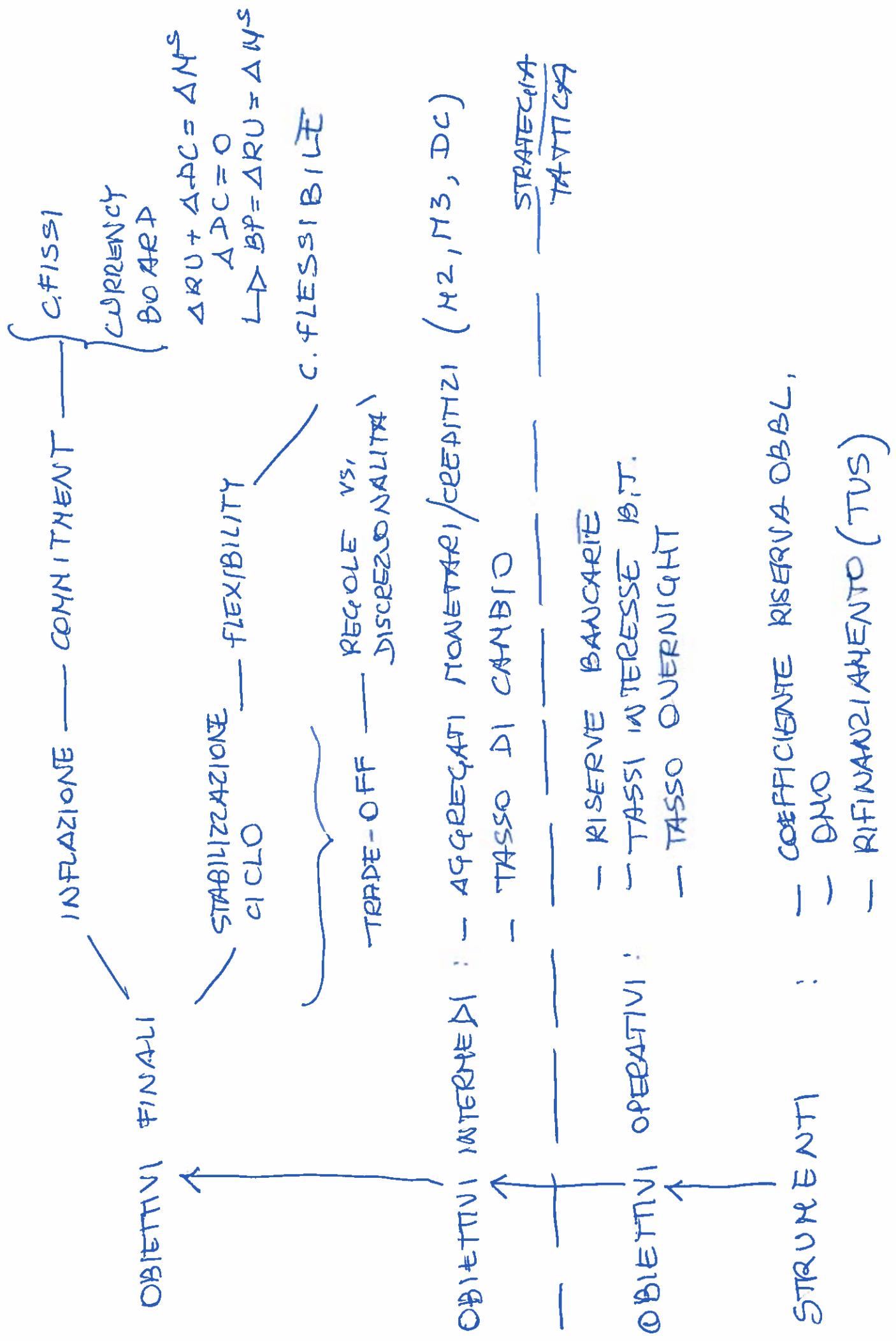
$$BP < 0 + \begin{cases} EXC-D \\ EXC-S \end{cases} \quad \left. \begin{array}{l} \\ \end{array} \right\} \rightarrow fRU$$

REGOLA AUREA : $\Delta RU = \Delta N^S \rightarrow fN^S$

	A	P
RU	50	300
Bd	300	80
	350	350

SE STERILIZZA (OHO^+ ; fB^d)

	A	P
RU	50	350
Bd	350	50
	400	400



PROCEDURE OPERATIVE

REGOLA TAYLOR : $i = \hat{i} + \alpha(\pi - \hat{\pi}) + \beta \left(\frac{Y - \hat{Y}}{V} \right)$

\hat{i} : tasso compatibile con $\hat{\pi} = 0$
output gap = 0

$\hat{\pi}$: infl. obiettivo

\hat{Y} : prezzo reale

TARGETING MONETARIO : $TQ \Rightarrow M v = P Y$

$$\frac{\dot{M}}{M} = \frac{\dot{P}}{P} + \frac{\dot{Y}}{Y} - \frac{\dot{V}}{V} = \pi_t + \frac{\dot{Y}}{Y} - \frac{\dot{V}}{V}$$

$$\frac{\dot{M}}{M} = \frac{M_t - M_{t-1}}{M_{t-1}} \quad \frac{\dot{P}}{P} = \frac{P_t - P_{t-1}}{P_{t-1}} = \pi_t$$

$$\frac{\dot{Y}}{Y} = \frac{Y_t - Y_{t-1}}{Y_{t-1}} \quad \frac{\dot{V}}{V} = \frac{V_t - V_{t-1}}{V_{t-1}}$$

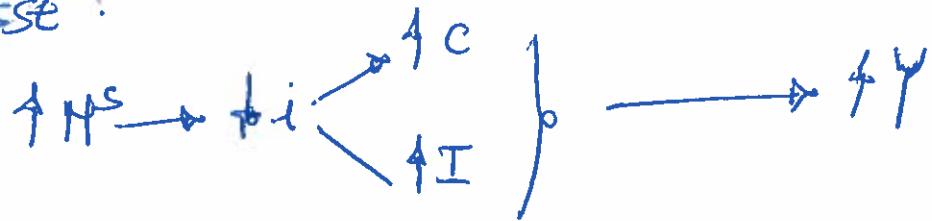
$$i_t - i_{t-1} = \gamma \left(\frac{\dot{M}}{M} - \frac{\dot{\hat{M}}}{\hat{M}} \right)$$

EXCHANGE RATE

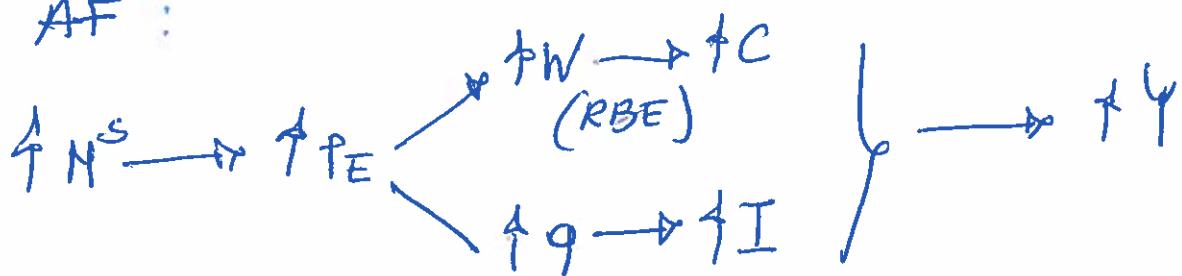
TARGETING : $i_t = i_t^* + X$

MECCANISMI DI TRASMISSIONE

TASSO INTERESSE :

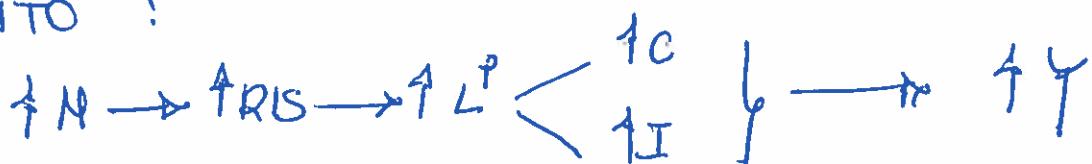


PREZZI AF :



$$q = \frac{\text{VALORE DI NEROBIO}}{\text{VALORE RIMPIAZZO ATTIVO}}$$

CREDITO :



TASSO DI CAMBIO :

